Name $\qquad$
Date $\qquad$

Goal: Use probability to make predictions.

1. fair game: A game in which all the players are equally likely to win; for example, tossing a coin to get heads or tails is a fair game.

- The theoretical probability of event $A$ is represented as:
- where $n(A)$ is the number of $\qquad$
- $n(S)$ is the total number of outcomes in the
$\qquad$ where all outcomes are
$\qquad$ .
- The experimental probability of event $A$ is represented as:
- where $n(A)$ is the number of times $\qquad$
- $n(T)$ is the total number of trials, $T$, $\qquad$
- The probability of an even can range from $\qquad$ (impossible) to $\qquad$ (certain).

You can express probability as a $\qquad$ , a $\qquad$ , or a
$\qquad$ .

Example 1: Ross and Rachel flip a coin to see who gets to pick a movie. Rachel wins if she flips a head.
a. What is the theoretical probability of getting a head?
b. Simulate flipping a coin 1000 times and record the number of times a head appears. From your simulation, what is the experimental probability of getting a head?
c. Is the game fair?

Example 2: Rachel now decides that they will toss 4 coins-a nickel, a dime, a quarter, and a loonie. If all 4 land on heads, or all 4 land on tails, Ross wins. Otherwise, Rachel wins. Create a sample space to show all possible outcomes. Determine the probability of Ross winning and of Rachel winning. Is the game fair?

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