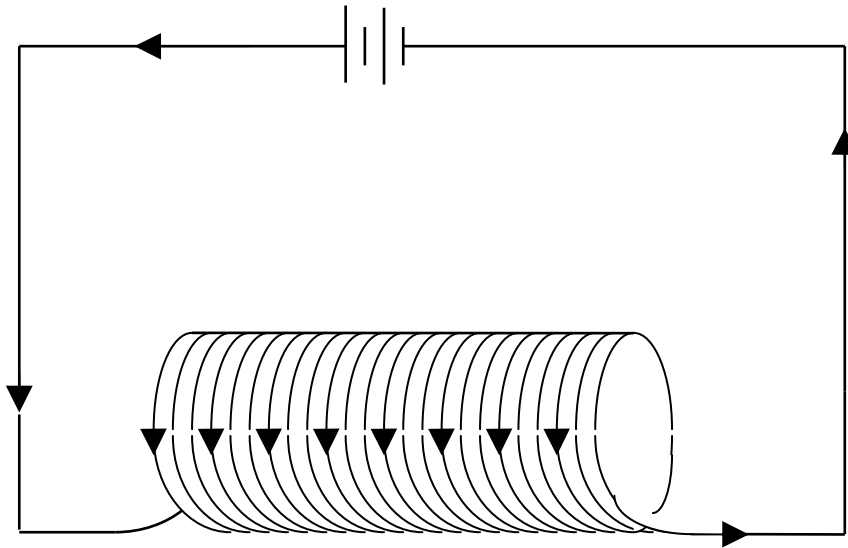


## Magnetism and the Solenoid

solenoid - a long coil of wire consisting of many loops



A current sent through a solenoid will, as expected, set up a magnetic field; the shape of that field resembles that of a bar magnet!

**Example #2: Using the Right-Hand-Rule, determine and draw the shape of the magnetic field both inside and around the solenoid in the above diagram.**

(see Electromagnetism Ex 2 for answer)

Since a solenoid acts like a bar magnet, if an iron core is placed inside the solenoid, domains within the iron will align themselves with the external field as soon as a current flows through the solenoid coils. The magnetic field that results is the sum of that due to the current-carrying solenoid plus that produced by the suddenly magnetic iron core. This highly magnetic device is called an *electromagnet*. Most electromagnets use a ‘soft’ iron core (loses magnetism as soon as the current is cut).

### The Magnetic Field Inside a Solenoid

Through experiments and mathematically, it has been proven that a solenoid produces a uniform magnetic field  $\mathbf{B}$  almost anywhere *inside* its coils. The magnitude of  $\mathbf{B}$  depends on:

- current  $I$
- # of turns of wire  $N$
- the length  $l$  across a section of turns

From this, we say that

$$\mathbf{B} = \mathbf{a\ constant} \left( \frac{\mathbf{N}}{\ell} \right) (\mathbf{I})$$

- this constant = the magnetic permeability of the core  $\mu$
- in this case (no core),  $\mu = \mathbf{the\ permeability\ of\ free\ space\ } \mu_0$
- $\mu_0 = 4\pi \times 10^{-7} \frac{\mathbf{tesla\ x\ meters}}{\mathbf{ampere}}$

From this we get

$$\mathbf{B} = \mu_0 \frac{\mathbf{N}}{\ell} \mathbf{I}$$

However,  $\frac{\mathbf{N}}{\ell}$  may already be calculated as *turns per meter* ( $\mathbf{n}$ );

- then

$$\mathbf{B} = \mu_0 \mathbf{nI}$$

**Example #3:** A solenoid 15 cm long has 600 turns and carries a current of 5.0 A. What is the magnetic field strength inside this coil?

(see Electromagnetism Ex 3 for answer)